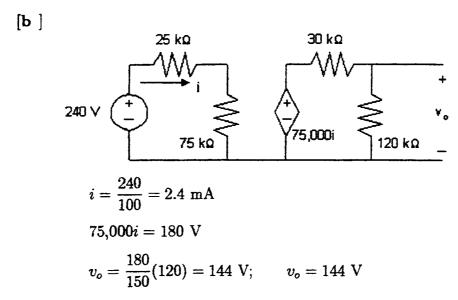
$$75||150 = 50 \text{ k}\Omega$$

$$v_{o1} = \frac{240}{(25 + 50)}(50) = 160 \text{ V}$$

$$v_{o} = \frac{v_{o1}}{(150)}(120) = 128 \text{ V}, \qquad v_{o} = 128 \text{ V}$$



[c] It removes loading effect of second voltage divider on the first voltage divider. Observe that the open circuit voltage of the first divider is

$$v'_{\text{ol}} = \frac{240}{(100)}(75) = 180 \text{ V}$$

Now note this is the input voltage to the second voltage divider when the current controlled voltage source is used.

P 3.18 [a]
$$v_o = \frac{200R_2}{(R_1 + R_2)} = \frac{150}{40}$$
; Therefore $R_2 = 3R_1$
Let $R_e = R_2 || R_L = \frac{R_2 R_L}{R_2 + R_L}$
 $v_o = \frac{200R_e}{R_1 + R_e} = 100$; Therefore $R_1 = R_e$
Thus, $R_2/3 = \frac{60R_2}{60 + R_2}$
 $R_2 = 120 \text{ k}\Omega$; $R_1 = 40 \text{ k}\Omega$

[b] Power dissipated in R_1 will be maximum when the voltage across R_1 is maximum. This will occur under load conditions.

$$v_{R_1} = 200 - 100 = 100 \text{ V}; \qquad P_{R_1} = \frac{(100)^2}{40 \times 10^3} = 250 \text{ mW}$$

So specify a 1/4 W power rating for the resistor.

P 3.19 Refer to the solution of Problem 3.18. The divider will reach its dissipation limit when the power dissipated in R_1 equals 1 W

So
$$(v_{R_1}^2/40) = 1000$$
; $v_{R_1} = 200 \text{ V}$ $v_o = 200 - 200 = 0 \text{ V}$

Therefore,
$$\frac{200R_e}{40+R_e}=0$$
, and $R_e=0~\mathrm{k}\Omega$

Thus, $R_{\rm L} = 0 \text{ k}\Omega$ (short circuit)

P 3.20 [a]
$$v_o = \frac{16(3.3)}{(4.7 + 3.3)} = 66 \text{ V}$$

[b]
$$i = 160/8 = 20 \text{ mA}$$

$$P_{R_1} = (400 \times 10^{-6})(4.7 \times 10^3) = 1.88 \text{ W}$$

$$P_{R_2} = (400 \times 10^{-6})(3.3 \times 10^3) = 1.32 \text{ W}$$

[c] Since R_1 and R_2 carry the same current and $R_1 > R_2$ to satisfy the voltage requirement, first pick R_1 to meet the 0.5 W specification

$$i_{R_1} = \frac{160 - 66}{R_1},$$
 Therefore, $\left(\frac{94}{R_1}\right)^2 R_1 \le 0.5$

Thus,
$$R_1 \ge \frac{94^2}{0.5}$$
 or $R_1 \ge 17,672 \Omega$

Now use the voltage specification:

$$\frac{R_2}{R_2 + 17,672}(160) = 66$$

Thus, $R_2 = 12,408 \,\Omega$

P 3.21
$$\frac{(24)^2}{R_1 + R_2 + R_3} = 36$$
, Therefore, $R_1 + R_2 + R_3 = 16\Omega$

$$\frac{(R_1 + R_2)24}{(R_1 + R_2 + R_3)} = 12$$