- Things to practice: working with random processes, mean functions, autocorrelation functions, stationarity, wide sense stationariy
- Readings in random processes: Sections 6.1-6.5, except you may skip: multiple random processes on pp. 337,338, the Wiener process and Brownian motion on pp. 354-356, cyclostationary processes on pp. 363-366.
- 1. 6.14, p. 391
- 2. 6.15, p. 391
- 3. 6.16, a, p. 391,
- 4. 6.24, a,b p. 392 Notes: X<sub>n</sub>'s are a Bernoulli random process. Skip the question: "Is the sample mean meaningful ...?"
- 5. 6.31, p. 393
- 6. 6.53, p. 395
- 7. 6.57, p. 396 (The "independence" of random processes X(t) and Y(t) means that every finite collection of X random variables are independent of every finite collection of Y random variables.)
- 8. Suppose  $\{X_t\}$  is a wide sense stationary, continuous-time Gaussian random process with mean zero and autocorrelation function  $R_X(\tau) = e^{-|\tau|}$ .

(a) Find the probability that  $|X(2) - X(5)| \le 2$ . (Hint: Find the density of the random variable Y = X(2) - X(5). Make good use of the fact that X(2) and X(5) are jointly Gaussian.)

(b) Find the covariance matrix for the random variables X(t), X(t+1), X(t+2).

Other good problems: 6.17, 6.18, 6.19, 6.23, 6.25, 6.26, 6.32, 6.50, 6.51, 6.52, 6.55, 6.56, 6.58, 6.59, 6.66