

- 1a.  $V_{OC} = (12V) \frac{6\Omega}{3+6\Omega} = 8V$ .  $R_{EQ} = 3||6 + 7 = 9\Omega$ .  $I_{SC} = \frac{8V}{9\Omega} = \frac{8}{9}A$ . 99 70  
 98 70  
 $V_{THEV} = 8V$ .  $R_{THEV} = 9\Omega$ .  $I_{NORTON} = \frac{8}{9}A$ .  $R_{NORTON} = 9\Omega$ . 97 70  
 95 67  
 EASY, ALTHOUGH SOME DID IT THE HARD WAY (DIDN'T RECOGNIZE VOLTAGE DIVIDER)
- 
- 1b. Node eqn. for  $V_{OC}$ :  $\frac{V_x - 4}{2k\Omega} = \frac{V_x}{4k\Omega} \rightarrow V_{OC} = V_x = 8V$ . 94 65  
 93 65  
 $I_{SC} = \frac{4V}{2k+3k\Omega} = 0.8mA$  since  $V_x = 0$ .  $R_{EQ} = \frac{8V}{0.8mA} = 10k\Omega$ . 91 62  
 90 62  
 $V_{THEV} = 8V$ .  $R_{THEV} = 10k\Omega$ .  $I_{NORT} = 0.8mA$ .  $R_{NORT} = 10k$  90 60  
 90 60
- 
- 1c. Replace each Norton eq. with its Thevenin eq. and add in series: 89 60  
 $V_{OC} = [(\frac{1}{3}A)(3\Omega)] - [(2A)(4\Omega)] = -7V$ .  $R_{TH} = 4 + 3 + 5 = 12\Omega$ . 88 60  
 86 58  
 $V_{THEV} = -7V$ .  $R_{THEV} = 12\Omega$ .  $I_{NORT} = -\frac{7}{12}A$ .  $R_{NORT} = 12\Omega$  86 57  
 85 56  
 WRONG SIGN =  $\ominus$  (I PUT THEVENIN FIGURE ON BOARD).  $1+8=9$  INSTEAD OF  $1-8=-7$ :  $\ominus$
- 
- 2a. Noninverting amp  $\rightarrow \frac{V_{OUT}}{V_{IN}} = 1 + \frac{R_F}{R_1}$  from handout or text. 85 52  
 A FEW THOUGHT THIS WAS INVERTING AMPLIFIER (UGH). 85 51  
 83 47
- 
- 2b.  $I_+ = 0 \rightarrow V_+ = V_{OUT} \frac{80}{80+10} = \frac{8}{9}V_{OUT}$ . 82 45  
 80 44  
 $\frac{V_{IN} - V_-}{10k\Omega} = \frac{V_- - V_{OUT}}{80k\Omega} \rightarrow V_- = \frac{8}{9}V_{IN} + \frac{1}{9}V_{OUT} \rightarrow \frac{V_{OUT}}{V_{IN}} = \frac{8}{7}$ . 79 43  
 77 41  
 HARDEST PROBLEM. SOME INGENIOUS OTHER WAYS.
- 
- 2c.  $V_A = V_- = V_+ = 0 \rightarrow \frac{V_{OUT}}{V_{IN}} = -\frac{10k\Omega}{1k\Omega} = -10$  (inverting amp). 75 35  
 75 28  
 YOU HAD TO NOTE SPECIFICALLY AND EXPLICITLY THAT  $V_A = 0$  OR  $\ominus = V_{OUT}$  IS NOT A NODE VOLTAGE
- 
- 3a.  $t = 0^-$ : inductor  $\rightarrow$  short  $\rightarrow V_L = 0$ ; capacitor  $\rightarrow$  open  $\rightarrow I_C = 0$ . MEDIAN  
70-75  
 $I_L = \frac{10V}{100+400\Omega} = 20mA$ .  $V_C = (10V) \frac{400}{400+100} = 8V$ .
- 3a.  $t = 0^+$ :  $I_L = 20mA$ .  $V_C = 8V$  (these can't jump at  $t = 0$ ).  
 $I_C = -20mA$ .  $V_L = V_C - 400I_L = 8 - 400(20mA) = 0$  (coincidence).  
 HERE WRONG SIGN WAS OK, SINCE I DIDN'T SPECIFY DIRECTION.  $\leftarrow$  YOU HAD TO SHOW THIS EXPLICITLY, OR NO CREDIT  
 DON'T ASK FOR REGRADERS  
 ON THIS POINT - I'LL BE FIR
- 
- 3b. Max. power transfer  $\rightarrow R = 100\Omega \rightarrow \text{Power} = \frac{(10V)^2}{4(100\Omega)} = \frac{1}{4}Watt$ .